



STRUCTURAL CALCULATIONS (SHOP DRAWING)

**PROJECT: 5900 SW 114TH TERRACE
PINECREST, FL 33156**

**By: Carlos López Reyes P.E.
P.E. #: 94975**

**CARLOS LOPEZ REYES, P.E. ASSUMES RESPONSIBILITY FOR BOTH MANUAL
AND COMPUTER-GENERATED CALCULATIONS**

ALL AMERICAN ENGINEERING CONSULTING

**13935 SW 106 TERRACE
MIAMI, FL 33186**

(786) 448-0384 PHONE

ALLAMERICANENGINEERINGFL@GMAIL.COM





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CHAPTER # 1: GLASS RAILING AT STAIR



1 SCOPE OF WORK

THIS DOCUMENT INCLUDES THE CALCULATION FOR THE FOLLOWING SYSTEMS:

- INTERIOR GLASS RAILING.

2 DESIGN CRITERIA

FLORIDA BUILDING CODE 2023 EDITION

200 LBS CONCENTRATED LOAD ACTING ANY DIRECTION

50 LBS/FT DISTRIBUTED LOAD ACTING ANY DIRECTION

3 GLASS BALUSTRADE GUARD RAIL

Glass Light Height	h=	44 in
Railing Guard Height	H=	42 in
Concentrated Load	P=	200 lbs
Distributed Load	q=	50 plf

3.1 Glass Bending Strenght.

Glass Thickness $t =$ 0.5625 in

$$S_x = 12 \cdot t^2 / 6 = 2 \cdot t^2 = 0.633 \text{ in}^3/\text{ft.}$$

$$F_{b \text{ live}} = 24000 / 4 = 6,000 \text{ psi}$$

$$F_{b \text{ wind}} = 10,600 = 10,600 \text{ psi - Per ASTM E1300}$$

$$M_{\text{all live}} = F_{b \text{ live}} \times S = 316.5 \text{ ft-lbs}$$

$$M_{\text{all wind}} = F_{b \text{ wind}} \times S = 559.2 \text{ ft-lbs}$$

1) Concentrated Load 200 lbs

The worst case is with the load at end of panel top corner with no top rail. The Load will be initially resisted by a strip.

$$b_1 = 8 \cdot t = 4.5 \text{ in}$$

At 2" from top

$$\text{Max moment } M_{\max 1} = 200 \times 2 = 400 \text{ in-lbs}$$

$$\text{Bending Stress } f_{bx1} = (M_{\max 1}/S_x)/(b1/12) = 1,685.1 \text{ psi} > F_{b \text{ live}} = 6,000 \text{ psi OK.}$$

At bottom of panel

The shear will transfer along the glass 45 degree angle to spread across the panel.

$$b2 = b1 + h = 48.5 \text{ in}$$

$$\text{Max moment } M_{\max 2} = 200 \times h = 8,800 \text{ in-lbs}$$

$$\text{Bending Stress } f_{bx2} = (M_{\max 2}/S_x)/(b2/12) = 3,439.7 \text{ psi} > F_{b \text{ live}} = 6,000 \text{ psi OK.}$$

2) Uniformly Distributed Load 50 lbs/ft

$$\text{Max moment } M_{\max 3} = 50 \times h = 2,200 \text{ in-lbs}$$

$$\text{Bending Stress } f_{bx3} = M_{\max 3}/S_x = 3,475.5 \text{ psi} > F_{b \text{ live}} = 6,000 \text{ psi OK.}$$

3.2 Deflection.

$$E = 1.04 \times 10^7 \text{ psi}$$

$$t = 0.5625 \text{ in}$$

$$\text{Deflection } \Delta = P \times h^3 / (3 \times E \times (b2/12) \times t^3) = 0.75 \text{ in (200 lbs load min width) OK}$$

$$\text{Deflection } \Delta = u \times h^3 / (3 \times E \times t^3) = 0.77 \text{ in (50 plf load) OK}$$

ASTM E-2358 limits deflection to $h/12$ (3.5" for 42" guard height). For comfort level it is recommended to limit the deflection to 1" for 42" guard height.

3.3 Check Connection.

Connect with standoff to concrete using 3/8" x 3-3/4" concrete anchor hilti kbtz bolt with min. embedment of 3" into 3,000 psi concrete.

Reactions are calculated using summation of forces and summation of moments:

$$V = D + L$$

Where D = glass dead load plus cap rail or other attachments to the glass.

$$L = \text{greater of } 200\# \text{ or } 50\text{plf} \times B$$

Where $B = 41.125'' = 3.43\text{ft}$

$$L_1 = 200\#$$

$$L_2 = 50\text{plf} \times 3.43\text{ft} = 171.5\#$$

$$L = \text{Max}(L_1, L_2) = 200\#$$

Vertical load share per standoff:

$$V_s = D/2 \text{ standoffs.}$$

$$D = 6.83 \times (3.43' \times 4.42') = 104\#$$

$$V_s = D/2 = 104/2 = 52\#$$

Assumes vertical load is supported on any 2 standoffs to allow for construction tolerances, glass expansion and contraction and other factors that may cause uneven vertical loading on the standoffs.

Moment on standoffs from vertical force:

$$M_v = V_s \times k$$

Where k = distance from centerline of glass to face of support attachment, typically 2" for standard fitting.

$$M_v = 52 \times 2 = 104\# \cdot \text{in}$$

For horizontal loading, moment about upper standoffs:

$$M_L = 50\text{plf} \times B \times h \text{ or } 200\# \times h$$

$$M_L = 200 \times 40.1875 = 8037.5 \text{ /3-in}$$

$$M_T = M_L + M_v$$

$$M_T = 8037.5 + 104 = 8141.5 \text{ #} \cdot \text{in}$$

Glass standoffs resist loading by forming a couple (tension and compression reactions)

Two pairs of standoffs per panel

Calculate R_1 by ΣM about R_u

$$\Sigma M = M_T + (a-c) \times R_1 = 0$$

$$R_1 = M_T / (a-c)$$

Typically $a-c = 4''$ minimum

$$R_1 = 8141.5/4 = 2035.375 \text{ #}$$

Load share to individual standoff:

$R_{s1} = R_1 / n$ where n = number of standoff pairs, 2 or 3. In this project is 2 pairs

$$R_{s1} = 2035.375/2 = 1017.69 \#$$

$R_u = R_1 + F$ where F = either wind force or live load depending on which produced the greatest moment.

$$R_u = 2035.375 + 200 = 2235.375 \#$$

$$R_{su} = R_u / n.$$

$$R_{su} = 2235.375/2 = 1117.69 \#$$

Standoff anchors – 3/8" stainless steel threaded rod to standoff and 3/8" rod to steel support.

Tensile area of 3/8" threaded rod (UNC) = 0.0775 in²

$$\text{Rod strength} = (0.6 * 75 \text{ksi}) * 0.0775 \text{ in}^2 = 3,487 \#$$

Check thread strength into standoff – minimum thread embed = 3/8"

Internal thread stripping area = 0.828 in² for 3/8 – 16 threads

$$\text{Allowable load on threads} = 0.58 * A_{sn} * t * F_{tu} / 3 = 0.58 * 0.828 * (3/8) * 45 \text{ksi} / 3 = 2,700 \#$$

$$\text{Allowable shear strength} = 0.3 * 75 \text{ksi} * 0.0775 \text{ in}^2 = 1,744 \#$$

Determine tension and shear on mounting stud:

From Σ forces:

Vertical loads will increase tension force in mounting stud:

$$D = 6.83 * (3.43' * 4.42') = 104 \# < 1744 \# \quad \text{OK}$$

$$T = T_M + V * 2' / 1'$$

$$T = 2235.375 + 104 * 2' / 1' = 2443.375 \# < 2700 \# \quad \text{OK}$$

Check Interaction of shear and tension. Check combined tension and shear on anchors:

$$T / 2,700 + D / 1,744 < 1.2$$

$$2443.375 / 2700 + 104 / 1744 = 0.965 < 1.2 \quad \text{OK}$$



CHAPTER # 2: GLASS RAILING AL BALCONY



1 SCOPE OF WORK

THIS DOCUMENT INCLUDES THE CALCULATION FOR THE FOLLOWING SYSTEMS:

- EXTERIOR RAILING AS DESIGNED AND MANUFACTURED BY ALUVETRO SRL.

2 DESIGN CRITERIA

FLORIDA BUILDING CODE 2023 EDITION

200 LBS CONCENTRATED LOAD ACTING ANY DIRECTION

50 LBS/FT DISTRIBUTED LOAD ACTING ANY DIRECTION

50 PSF WIND LOAD

3 GLASS BALUSTRADE GUARD RAIL

Glass Light Height	h=	34 3/16 in
Railing Guard Height	H=	36 in
Concentrated Load	P=	200 lbs
Distributed Load	q=	50 plf
Wind Load	Pd=	50 psf

3.1 Glass Bending Strenght.

Glass Thickness $t =$ 0.81 in

$$S_x = 12 \cdot t^2 / 6 = 2 \cdot t^2 = 1.3122 \text{ in}^3/\text{ft.}$$

$$F_{b \text{ live}} = 24000 / 4 = 6,000 \text{ psi}$$

$$F_{b \text{ wind}} = 10,600 = 10,600 \text{ psi - Per ASTM E1300}$$

$$M_{\text{all live}} = F_{b \text{ live}} \times S = 381.04 \text{ ft-lbs}$$

$$M_{\text{all wind}} = F_{b \text{ wind}} \times S = 673.17 \text{ ft-lbs}$$

1) Concentrated Load 200 lbs

The worst case is with the load at end of panel top corner with no top rail. The Load will be initially resisted by a strip.

$$b1 = 8 \cdot t = 6.48 \text{ in}$$

At 2" from top

$$\text{Max moment } M_{\max1} = 200 \cdot 2 = 400 \text{ in-lbs}$$

$$\text{Bending Stress } f_{bx1} = (M_{\max1}/S_x)/(b1/12) = 564.5 \text{ psi} > F_{b \text{ live}} = 6,000 \text{ psi OK.}$$

At bottom of panel

The shear will transfer along the glass 45 degree angle to spread across the panel.

$$b2 = b1 + h = 40.67 \text{ in}$$

$$\text{Max moment } M_{\max2} = 200 \cdot h = 6,837 \text{ in-lbs}$$

$$\text{Bending Stress } f_{bx2} = (M_{\max2}/S_x)/(b2/12) = 1,537.5 \text{ psi} > F_{b \text{ live}} = 6,000 \text{ psi OK.}$$

2) Uniformly Distributed Load 50 lbs/ft

$$\text{Max moment } M_{\max3} = 50 \cdot h = 1,709.4 \text{ in-lbs}$$

$$\text{Bending Stress } f_{bx3} = M_{\max3}/S_x = 1,303 \text{ psi} > F_{b \text{ live}} = 6,000 \text{ psi OK.}$$

3) Wind Load $P_d = 50 \text{ psf}$

$$\text{UDL} = P_d \cdot 12/12 = 50 \text{ lbs/ft}$$

$$\text{Max moment } M_{\max4} = 0.55 \cdot \text{UDL} \cdot h^2/12 = 2,678.5 \text{ in-lbs}$$

$$\text{Bending Stress } f_{bx4} = M_{\max4}/S_x = 2,041.2 \text{ psi} > F_{b \text{ live}} = 10,600 \text{ psi OK.}$$

3.2 Deflection.

$$E = 1.04 \cdot 10^7 \text{ psi}$$

$$t = 0.81 \text{ in}$$

$$\text{Deflection } \Delta = P \cdot h^3 / (3 \cdot E \cdot (b/12) \cdot t^3) = 0.14 \text{ in (200 lbs load min width) OK}$$

$$\text{Deflection } \Delta = u \cdot h^3 / (3 \cdot E \cdot t^3) = 0.12 \text{ in (50 plf load) OK}$$

$$\text{Deflection } \Delta = P_d / 12 \cdot h^4 / (8 \cdot E \cdot t^3) = 0.13 \text{ in (50 psf wind load) OK}$$

ASTM E-2358 limits deflection to $h/12$ (3.5" for 42" guard height). For comfort level it is recommended to limit the deflection to 1" for 42" guard height.

3.3 Check Connection.

Connect Base Shoe to concrete using 3/8" diameter wedge bolt with min. embedment of 3_1/2" into 3,000 psi concrete at 4.9" o.c.

Allowable Tension/Pullout $T_{a\ nom} = 2,035\ lbs$

Load adjustment factor for spacing $f_{AN} = 0.86$

Then the reduced Allowable Tension/Pullout $T_a = T_{a\ nom} * f_{AN} = 1,750\ lbs$

Allowable Shear $V_{a\ nom} = 1,735\ lbs$

Load adjustment factor for spacing $f_{AN} = 0.67$

Then the reduced Allowable Shear $V_a = V_{a\ nom} * f_{AN} = 1,162\ lbs$

Anchors spacing $A_s = 4.9\ in$

Resistant arm of anchor $d = 1.25\ in$

1) Concentrated Load 200 lbs

Max moment $M_{max1} = 200 * h = 6,837.5\ in-lbs$

End reaction at base shoe $R1 = 200\ lbs.$

$b3 = b1 + H = 42.67\ in$

Number of anchors in minimum width $b3$ of 200 lbs $N1 = b3 / A_s = 8.71$

Max pull out/ tension of the anchor

$T1 = (M_{max1} / d) / N1 = (6,837.5 / 1.25) / 8.71 = 628.01\ lbs$

Shear of the anchor

$V1 = R1 / N1 = 200 / 8.71 = 22.96\ lbs$

Combined Tension / Pullout and Shear

$T1 / T_a + V1 / V_a = (628.01 / 1,750) + (22.96 / 1,162) = 0.339 < 1.0\ OK.$

2) Uniformly Distributed Load 50 lbs/ft

Max moment $M_{max2} = 50 * H = 1,800\ in-lbs$

End reaction at base shoe $R2 = 158.3\ lbs.$

Number of anchors in unit width of 50 lbs/ft $N2 = 12/As = 2.45$

Max pull out/ tension of the anchor

$$T2 = (M_{max2}/d)/N2 = (1,80/1.25)/2.45 = 587.76 \text{ lbs}$$

Shear of the anchor

$$V2 = R2/N2 = 158.3/2.45 = 64.61 \text{ lbs}$$

Combined Tension / Pullout and Shear

$$T2/Ta + V2/Va = (587.76/1,750) + (64.61/1,162) = 0.391 < 1.0 \text{ OK.}$$

3) Wind Load $Pd = 50 \text{ psf}$

$$UDL = Pd \times 12/12 = 50 \text{ lbs/ft}$$

$$\text{Max moment } M_{max3} = 1/2 * UDL * H^2/12 = 2,700 \text{ in-lbs}$$

$$\text{End reaction at base shoe } R3 = UDL * H = 150 \text{ lbs.}$$

Number of anchors in unit width of 50 lbs/ft $N3 = 12/As = 2.45$

Max pull out/ tension of the anchor

$$T3 = (M_{max3}/d)/N3 = (2,700/1.25)/2.45 = 881.63 \text{ lbs}$$

Shear of the anchor

$$V3 = R3/N3 = 150/2.45 = 61.22 \text{ lbs}$$

Combined Pullout / Tension and Shear

$$T3/Ta + V3/Va = (881.63/1,750) + (61.22/1,162) = 0.556 < 1.0 \text{ OK.}$$